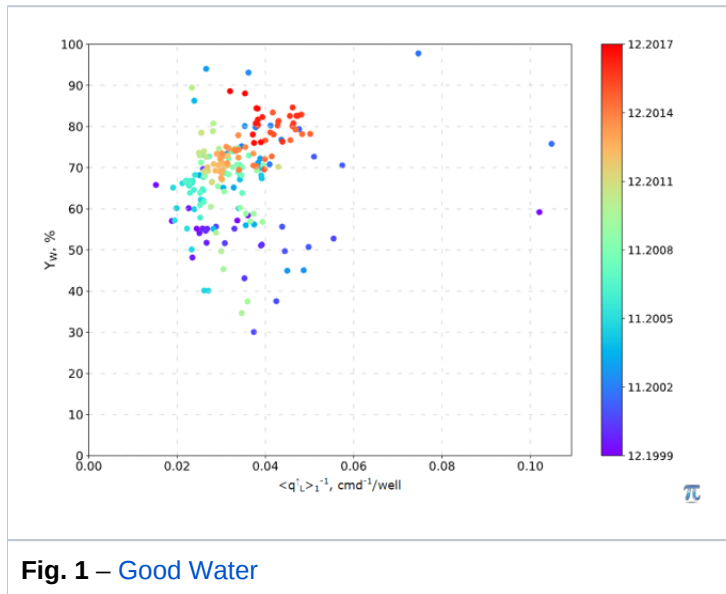
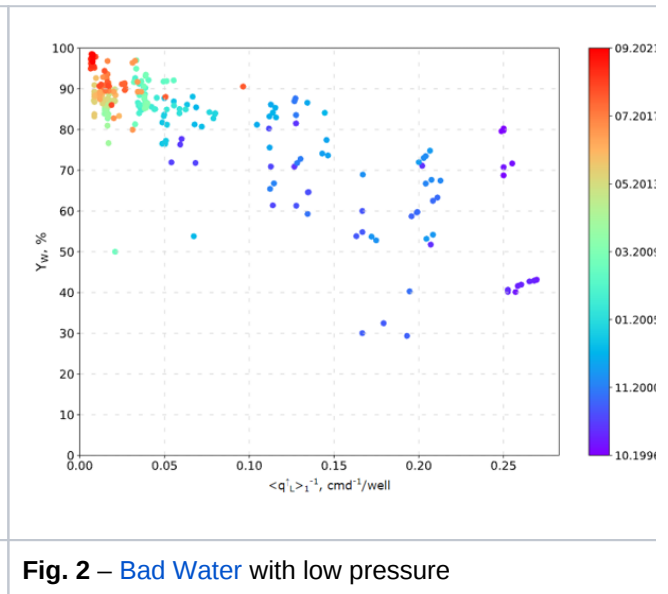


# Watercut YLIQ plot

One of the [Watercut Diagnostics](#) plots with [water cut](#) ( $Y_w$ ) along y-axis and inverse [liquid rate](#)  $1/q_L$  along x-axis (see [Fig. 1 – Fig. 3](#)).



**Fig. 1 – Good Water**



**Fig. 2 – Bad Water with low pressure**

The absence of correlation between  $Y_w$  and [liquid rate](#) suggests that either produced [water](#) is all [good](#) or it may have [bad water](#) production from the reservoir with the same [formation pressure](#) as [oil pay](#):  $P_{\text{bad water}} = P_{\text{oil pay}}$  (see [Fig. 1](#)).

In practice, it is very rare occasion that [bad water](#) has the same [formation pressure](#) as the [oil pay](#):  $P_{\text{bad water}} = P_{\text{oil pay}}$  and usually the absence of correlation between  $Y_w$  and [liquid rate](#) indicates that all produced [water](#) is [good](#).

The negative correlation between  $Y_w$  and inverse [liquid rate](#)  $1/q_L$  suggests that produced [water](#) contains [bad water](#) with lower [formation pressure](#) than that of [oil pay](#):  $P_{\text{bad water}} < P_{\text{oil pay}}$  (see [Fig. 2](#)).

The positive correlation between  $Y_w$  and inverse [liquid rate](#)  $1/q_L$  suggests that produced [water](#) contains [bad water](#) with higher [formation pressure](#) than that of [oil pay](#):  $P_{\text{bad water}} > P_{\text{oil pay}}$  (see [Fig. 3](#)).

There is no clear regulation on what value of correlation is enough to discriminate between the cases on [Fig. 1 – Fig. 3](#).

This is usually done by an eye pick or [artificial intelligence](#) and stands as a part of the complex [Watercut Diagnostics](#).

Some people see that growing  $Y_w$  with increasing of [liquid rate](#) for low-pressure [bad water](#) is counter-intuitive but in reality this is a solid fact which can be easily verified mathematically and/or tested in practise.

The [YLIQ](#) analysis is not always applicable as sometimes [well](#) produces at constant rate and correlation with [watercut](#) can not be assessed.

But even when [historical rates](#) were varying the [YLIQ](#) analysis does not provide the unique answer on whether produced [water](#) contains [bad water](#).

Nevertheless, in many practical cases [YLIQ](#) analysis is very helpful as additional argument (and sometimes as the key argument) in assessing if produced [water](#) contains [bad water](#).

The mathematical model of the thief water production from [aquifer](#) is based on the following equation:

|                                  |                                                            |                                                                                      |
|----------------------------------|------------------------------------------------------------|--------------------------------------------------------------------------------------|
| (1) $Y_W = a + b \cdot q_L^{-1}$ | (2) $a = \frac{J_{1W} + J_{2W}}{J_{1O} + J_{1W} + J_{2W}}$ | (3) $b = \frac{J_{1O} \cdot J_{2W}}{J_{1O} + J_{1W} + J_{2W}} \cdot (p_2^* - p_1^*)$ |
|----------------------------------|------------------------------------------------------------|--------------------------------------------------------------------------------------|

where

|         |                                                           | $q_W$    | water production rate                                           | $q_L$    | liquid production rate                                        |
|---------|-----------------------------------------------------------|----------|-----------------------------------------------------------------|----------|---------------------------------------------------------------|
| $p_1^*$ | formation pressure in <a href="#">petroleum reservoir</a> | $J_{1W}$ | water productivity index of <a href="#">petroleum reservoir</a> | $J_{1O}$ | oil productivity index of <a href="#">petroleum reservoir</a> |
| $p_2^*$ | formation pressure in <a href="#">aquifer</a>             | $J_{2W}$ | water productivity index of <a href="#">aquifer</a>             |          |                                                               |

The equation (1) suggests that [water cut](#) declines along with [aquifer](#) pressure decline.

It also suggest that [water cut](#) grows with decline of the [petroleum reservoir](#) pressure and decreases when [petroleum reservoir](#) pressure grows.

For the case of [aquifer](#) pressure is higher than that of [petroleum reservoir](#):  $b > 0 \Leftrightarrow p_2^* > p_1^*$ ,

which means that if [aquifer](#) pressure is higher than [petroleum reservoir](#) pressure then production increase will lead to the [water cut](#) decline.

For the case of [aquifer](#) pressure is lower than that of [petroleum reservoir](#):  $b < 0 \Leftrightarrow p_2^* < p_1^*$ ,

which means that if [aquifer](#) pressure is lower than [petroleum reservoir](#) pressure then production increase will lead to the [water cut](#) growth.

In practical applications, the equation (1) is often considered through the [weighted average](#) values:

$$(4) \quad Y_W = \frac{\langle q_W \rangle}{\langle q_L \rangle} = a + b \cdot \langle q_L \rangle^{-1}$$

where

|                                            |                                         |
|--------------------------------------------|-----------------------------------------|
| $\langle q_W \rangle, \langle q_O \rangle$ | are weighted average of $q_W$ and $q_O$ |
|--------------------------------------------|-----------------------------------------|

There are different ways to calculate [weighted average](#) of the dynamic variable, for example:

|                                    |                            |
|------------------------------------|----------------------------|
| <a href="#">t-weighted average</a> | <a href="#">q-weighted</a> |
|------------------------------------|----------------------------|

$$\langle A \rangle_t = \frac{1}{t} \int_0^t A(t) dt$$

$$\langle A \rangle_q = \frac{1}{Q(t)} \int_0^t A(t) q(t) dt$$

Cases

Case 1

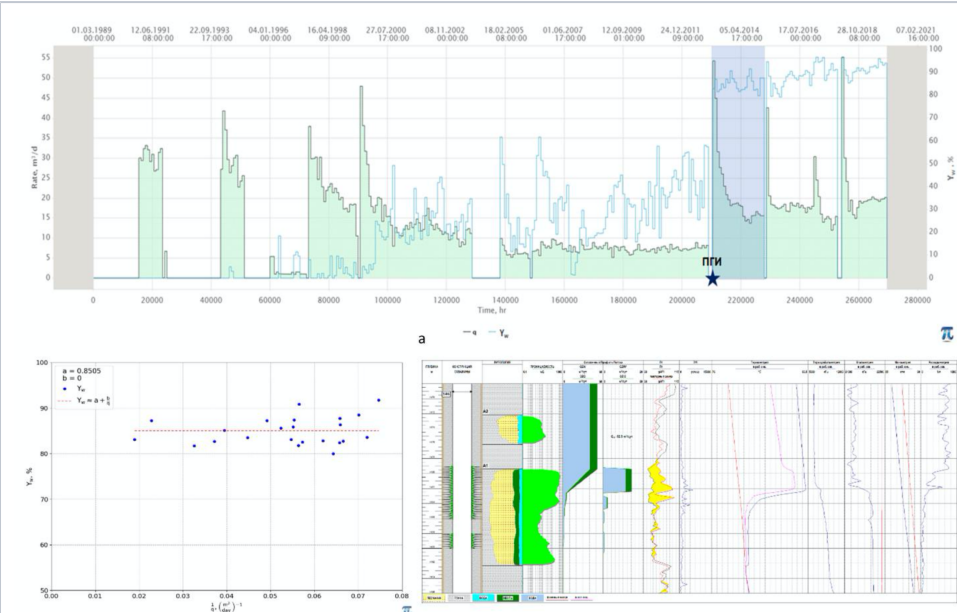
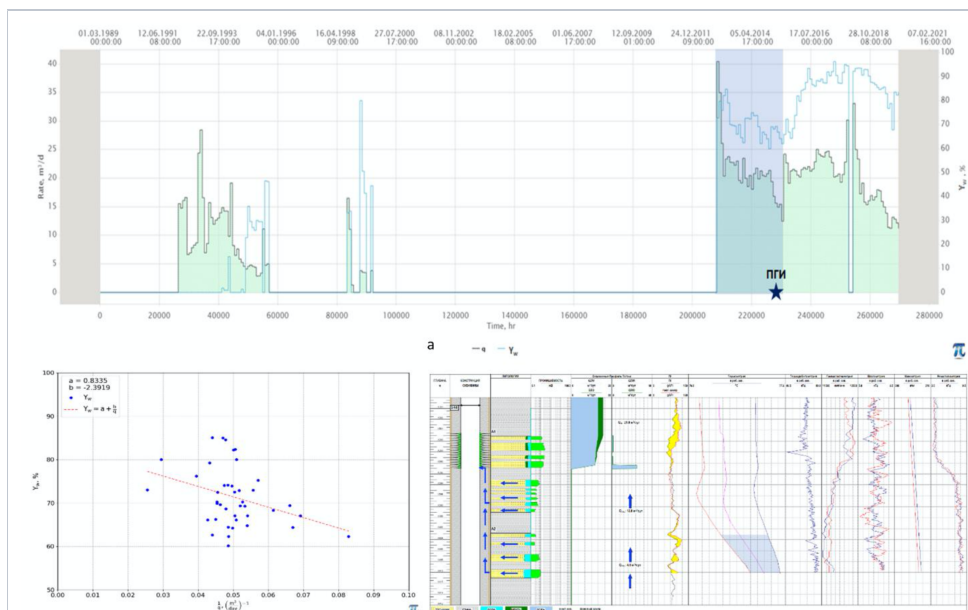


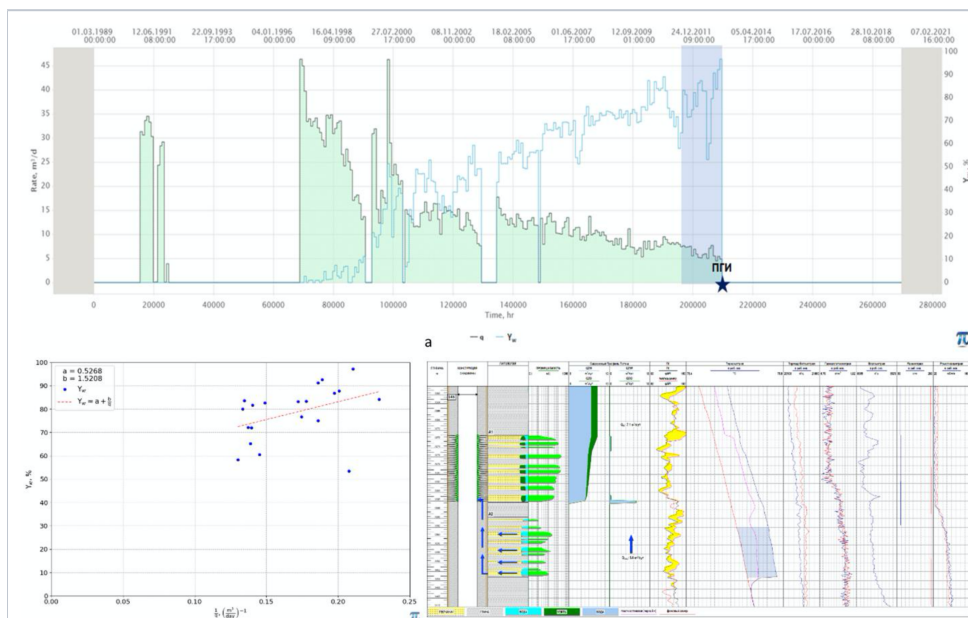
Fig. 4 – Good Water

Case 2



**Fig. 5 – Bad Water** with low pressure

## Case 3



**Fig. 6 – Bad Water** with high pressure

## See Also

[Petroleum Industry / Upstream / Production / Subsurface Production / Field Study & Modelling / Production Analysis / Watercut Diagnostics](#)

