

Bulk modulus = K = B

@wikipedia

A measure of relative change in **density** ρ or **molar volume** V_m under a unit **pressure** p variation:

$$(1) \quad K = \rho \cdot \left(\frac{\partial p}{\partial \rho} \right) = -V_m \cdot \left(\frac{\partial p}{\partial V_m} \right)$$

Symbol	Dimension	SI units	Oil metric units	Oil field units
K or B	$M^1 L^{-1} T^{-2}$	Pa	GPa	psi

Bulk modulus measures resistance of **Continuum body** to **deformation** and is inverse to **compressibility** c :

$$(2) \quad K = \frac{1}{c}$$

Bulk modulus depends on the thermodynamic conditions at which it is measured and as such is not a **material property**.

The two major **deformation** processes of the **medium** are **isothermal** and **isentropic** which result in different values of **Bulk modulus**:

Isothermal bulk modulus	Isentropic bulk modulus
$T = \text{const}$	$S = \text{const}$
(3) $K_T = \rho \cdot \left(\frac{\partial p}{\partial \rho} \right)_T$	(4) $K_S = \rho \cdot \left(\frac{\partial p}{\partial \rho} \right)_S$

Both K_T and K_S are not dependent on the **amount of chemical substance** and defined under specific conditions of **thermodynamic process** and as such are the **material properties** and properly tabulated for the vast majority of **materials**.

In engineering practise, when the term **Bulk modulus** is used as **material property** it normally means **Isothermal Compressibility**: $K = K_T$.

For isotropic materials it is related to **Young modulus (E)** and **Poisson's ratio ()** as:

$$(5) \quad K_T = \frac{E}{3(1 - 2\nu)}$$

See also

[Physics / Mechanics / Continuum mechanics / Continuum Body / Deformation](#)

[[Solid Mechanics](#)] [[Fluid Mechanics](#)]

[Compressibility] [Young modulus (E)][Poisson's ratio ()]

[Isothermal Compressibility][Isentropic Compressibility]

[Fluid compressibility] [Pore compressibility] [Total compressibility]