

Specific heat capacity

@wikipedia

Amount of [heat](#) required to change the temperature of one unit of [mass](#) by one unit of [temperature](#):

$$c_m = \frac{\delta Q}{\delta m \cdot \delta T}$$

Symbol	Dimension	SI units	Oil metric units	Oil field units
c_m	$\text{L}^2 \text{T}^{-2} \text{1}$	J/(kgK)	J/(kgK)	BTU/(lbm°F)

[Specific Heat Capacity](#) depends on the way the [heat](#) is transferred and as such is not a [material property](#).

The two major [heat transfer processes](#) are [isobaric](#) and [isohoric](#) which define:

Isobaric specific heat capacity	Isochoric specific heat capacity
c_{mp}	c_{mV}

Both c_{mp} and c_{mV} are [material properties](#) and properly tabulated for the vast majority of materials.

[Specific Heat Capacity](#) c_m relates to [Volumetric Heat Capacity](#) c_v and [density](#) of the matter ρ as:

(1)
$$c_m = \rho \cdot c_v$$

In many technical papers the "m" or "v" index is omitted which leads to confusion between [Specific Heat Capacity](#) c_m and [Volumetric Heat Capacity](#) c_v .

For [multiphase fluid](#) in [thermodynamic equilibrium](#) the [Specific Heat Capacity](#) c_m is:

(2)
$$c_m = \frac{\sum_{\alpha} s_{\alpha} \rho_{\alpha} c_{m\alpha}}{\sum_{\alpha} s_{\alpha} \rho_{\alpha}}$$

where

s_{α}	α - phase volume share, subjected to $\sum_{\alpha} s_{\alpha} = 1$
ρ_{α}	α - phase Fluid Density
$c_{v\alpha}$	α - phase Volumetric Heat Capacity

See also

[Physics](#) / [Thermodynamics](#) / [Thermodynamic process](#) / [Heat Transfer](#) / [Heat Capacity](#)

[[Heat](#)] [[Volumetric Heat Capacity](#)]