

Static Vertical Pressure Variation @model

@wikipedia

Motivation

The [pipeline](#) and [wellbore flow simulations](#) require a model of static [fluid pressure](#) p variation as a function of [elevation](#) z :

(1) $p = p(z)$

Output

$p(z)$	Fluid pressure p
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Input

z	Elevation	ρ_0	Fluid density at Logging reference point z_0
z_0	Logging reference point (usually at surface)	c_0	Fluid Compressibility at Logging reference point z_0
g	Standard gravity constant		

Equation

The static balance equation for fluid column is:

(2) $\frac{dp}{dz} = \rho(p) \cdot g$

Approximations

Incompressible fluid	Ideal Gas (Barometric formula)	Full-range model
(3)) $p(z) = p_0 + \rho_0 \cdot g \cdot (z - z_0)$	(4) $p(z) = p_0 \cdot \exp\left[-\frac{\rho_0 g}{p_0} \cdot (z - z_0)\right]$	(5) $\frac{1 + c_0 p(z)}{1 + c_0 p_0} = \exp\left[\frac{c_0 \cdot \rho_0 \cdot g \cdot (z - z_0)}{1 + c_0 p_0}\right]$
(6)) $p_2 - p_1 = \rho_0 \cdot g \cdot (z_2 - z_1)$	(7)) $p_2 - p_1 = p_1 \cdot \left(\exp\left[\frac{\rho_0 \cdot g \cdot (z_2 - z_1)}{p_0}\right] - 1\right)$	(8)) $p_2 - p_1 = \frac{(1 + c_0 p_1)}{c_0} \cdot \left(\exp\left[\frac{c_0 \cdot \rho_0 \cdot g \cdot (z_2 - z_1)}{1 + c_0 p_1}\right] - 1\right)$

See also

[Physics](#) /
 [Mechanics](#) /
 [Continuum mechanics](#) /
 [Fluid Mechanics](#) /
 [Fluid Statics](#)

[\[Fluid Dynamics \]](#)