

# Mobility-weighted fluid density

A method to average the [multi-phase fluid density](#) depending on [relative phase mobilities](#):

$$\rho(p, T) = \frac{M_{rw}\rho_w + M_{ro}(1 + R_{sn})\rho_o + M_{rg}(1 + R_{vn})\rho_g}{M_{rw} + M_{ro}(1 + R_{sn}) + M_{rg}(1 + R_{vn})}$$

where

|   |  |
|---|--|
| (1) $\rho_w(p, T), \rho_o(p, T), \rho_g(p, T)$          | <a href="#">water density</a> , <a href="#">oil density</a> and <a href="#">gas density</a> as functions of <a href="#">reservoir pressure</a> $p$ and <a href="#">temperature</a> $T$   |
| (2) $M_{rw}(s, p, T), M_{ro}(s, p, T), M_{rg}(s, p, T)$ | <a href="#">relative phase mobilities</a> as functions of <a href="#">reservoir saturation</a> $s(\mathbf{r})$ at reservoir location $\mathbf{r}$ and <a href="#">reservoir pressure</a> $p$ and <a href="#">temperature</a> $T$ |
| (3) $R_{sn}(p, T), R_{vn}(p, T)$                        | <a href="#">normalized cross-phase exchange ratios</a> as functions of <a href="#">reservoir pressure</a> $p$ and <a href="#">temperature</a> $T$  |

This concept gives more weight to [phases](#) with higher [relative phase mobilities](#).

This normally finds application in [multi-phase pressure diffusion](#) where more agile [phase](#) contributes more to [average phase pressure](#) variation.